
Available at: http://dx.doi.org/10.1086/588582


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THE ENERGY OUTPUT OF THE UNIVERSE FROM 0.1 $\mu$M TO 1000 $\mu$M

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For submission to ApJ

ABSTRACT

The dominant source of electromagnetic energy in the Universe today (over ultraviolet, optical and near-infrared wavelengths) is starlight. However, quantifying the amount of starlight produced has proven difficult due to interstellar dust grains which attenuate some unknown fraction of the light. Combining a recently calibrated galactic dust model with observations of 10,000 nearby galaxies we find that (integrated over all galaxy types and orientations) only $(11 \pm 2)\%$ of the $0.1 \mu$m photons escape their host galaxies; this value rises linearly (with log $\lambda$) to $(87 \pm 3)\%$ at $2.1 \mu$m. We deduce that the energy output from stars in the nearby Universe is $(1.6 \pm 0.2) \times 10^{35}$ W Mpc$^{-3}$ of which $(0.9 \pm 0.1) \times 10^{35}$ W Mpc$^{-3}$ escapes directly into the inter-galactic medium. Some further ramifications of dust attenuation are discussed, and equations that correct individual galaxy flux measurements for its effect are provided.

Subject headings: galaxies: spiral - galaxies: structure - galaxies: photometry - galaxies: fundamental parameters - ISM: dust, extinction

1. INTRODUCTION

The cosmic spectral energy distribution (CSED; e.g., Primack, Bullock & Sommerville 2005) provides a description of the current total (electromagnetic) energy output of the Universe over all wavelengths. In the ultraviolet, optical and near-infrared wavebands the CSED is dominated by starlight and its measurement can be used to constrain the current stellar mass density and cosmic star-formation rate as well as models of galaxy formation (e.g., Baldry & Glazebrook 2003; Hopkins & Beacom 2006). The CSED is measured by constructing the galaxy luminosity function (GLF) (Schechter 1976; Selvans 1977; Driver et al. 2005) at a specified wavelength (or bandpass). The first moment of the GLF (extrapolated to bright and faint magnitudes), gives the total luminosity density at this wavelength and hence provides a single datum on the CSED.

Constructing the full CSED therefore requires accurate measurements of the GLF in a variety of bandpasses. However, galaxies contain dust, which, while negligible in terms of mass (Driver et al. 2007), attenuates some unknown fraction of the starlight before it exits a galaxy into the inter-galactic medium (IGM) (Searthe 1931; Giovanelli et al. 1995). The severity of this effect has proven difficult to quantify (Disney et al. 1989; Valentijn 1990; Burstein et al. 1991), leading to large uncertainties in individual galaxy flux measurements and consequently a systematic underestimation of the luminosity density (or individual CSED measurements). The degree to which the CSED is underestimated will, of course, be wavelength dependent (Cardelli et al. 1989; Calzetti 2001) and it will depend critically on the amount and distribution of the interstellar dust grains within the host galaxy (and an individual galaxy’s orientation to our line-of-sight).

Since the heated debate of the 90s, direct evidence from a number of methods has led to the perspective that galaxies are predominantly optically thin (at least in their outer regions). In particular, evidence from overlapping galaxies (White et al. 2000), have strongly supported the stance that galaxies are optically thin, at least in the inter-arm regions (Holwerda et al. 2007). Further detailed modeling of extensive optical data on edge-on galaxies also appeared to support the view that galaxies were optically thin throughout (Xilouris et al. 1999). However, the optically thin case has proven difficult to reconcile with the observed high level of far-infrared emission which is presumed to arise from dust reradiating the attenuated starlight (Bianchi et al. 2000; Popescu et al. 2000; Misiriotis et al. 2001). The resolution to this conflict may lie in a more complex dust distribution whereby galaxies may contain both optically thick (core and arm) regions and optically thin (inter-arm and outer) regions. Tuffs et al. (2004) and Popescu et al. (2000) (hereafter TP) have advocated a three component dust model (optically thick inner disc, thin outer disc and clumpy components), which is capable of reproducing the detailed multiwavelength surface photometry from UV to far-IR of edge-on galaxies such as NGC891 and the other galaxies modelled by Xilouris et al. (1999).

Recently, Driver et al. (2007) identified evidence for strong and inclination-dependent attenuation in a large sample of discs and bulges which is not anticipated (or reproducible) in models with a purely optically thin dust distribution (e.g., see fig 5 in Popescu & Tuffs 2007). Similar and related results, albeit lacking bulge-disc decompositions, have also now been reported for SDSS data (e.g., Choi, Park & Vogeley 2007; Shao et al. 2007; Unterborn & Ryden 2008; Maller et al. 2008; Padilla & Strauss 2008). Using the TP-model we were able to reproduce...
the attenuation-inclination relation for both discs and bulges and to constrain the mean central $B$-band face-on opacity (the only free parameter) for the galaxy population at large: $\tau_B^f = 3.8 \pm 0.7$. In this Letter we explore the implications of this result on estimates of the CSED and ask whether the high value for the central opacity can be reconciled with the far-IR output from the nearby galaxy population. Throughout we adopt a standard flat cosmology with $\Omega_M = 0.3$, $\Omega_{\Lambda} = 0.7$ and $H_0 = 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$.

2. DUST AND ITS IMPACT ON GALAXY PHOTOMETRY

The dust model we adopt here is described fully in a sequence of papers (Popescu et al. 2000; Tuffs et al. 2004; Möllerhoff et al. 2006) and is summarised by Popescu & Tuffs (2007). In brief the model incorporates three distinct components: an extended optically thin dust layer associated with the neutral hydrogen and older stellar population (i.e., the outer disc and inter-arm regions); a less extended optically thick dust layer in the spiral arms associated with the molecular hydrogen and younger stellar population (i.e., primarily the inner disc); and a clumpy component (representing star-forming molecular clouds). Ideally the optically thick component should be distributed according to a spiral pattern, to better mimick the observed variation in opacity between arm and inter-arm regions. For the purposes of this work this distinction, between an additional disc of uniform opacity or one with a built in spiral density pattern is not particularly relevant as both imply a uniform high opacity disc in the central bulge-dominated regions.

In Driver et al. (2007) we constrained the TP-model’s single free parameter, the central face on opacity in $B$, which was found to be $\tau_B^f = 3.8 \pm 0.7$. Briefly, this constraint was obtained by measuring the luminosity functions of galaxy bulges and discs at various inclinations and comparing the dependence of the turn-over point on inclination (i.e., the $M^* - \cos(i)$ relation) to predictions of the TP-model (see Driver et al. 2007 for full details).

Having constrained the TP-model we can now determine the inclination-dependent attenuation correction at any wavelength. From Fig. 1 we see that the attenuation for bulge starlight can be as high as 2 $B$ mag (i.e., only 6% of the photons escape), and as high as 1.2 $B$ mag for discs (i.e., only 33% of the photons escape), depending on wavelength and inclination. While the level of attenuation of the disc is relatively consistent with previous estimates, the bulge attenuation is a surprise and has not previously been considered in detail. This is because while bulges are traditionally considered to be dust free, like elliptical galaxies, the dust in the galaxy disc attenuates bulge light, particularly from the far-side. We can parameterize the dust attenuation curves of Fig. 1 as follows:

\[
M^c_{\text{bulge}} = M^o_{\text{bulge}} - b_1 - b_2 [1 - \cos(i)]^{d_3} \\
M^c_{\text{disc}} = M^f_{\text{disc}} - d_1 - d_2 [1 - \cos(i)]^{d_3}
\]

where $M^o$ and $M^c$ represent the observed and corrected magnitudes, respectively, $i$ is the disc inclination, and the coefficients $b_1$, $b_2$, $b_3$ and $d_1$, $d_2$, $d_3$ are listed in Table 1.

Using the Millennium Galaxy Catalogue data (MGC; Liske et al. 2003; Driver et al. 2005; Allen et al. 2006) we now derive the total $B$-band GLF incorporating the impact of dust attenuation. This involves seperating all galaxies into their bulges and disc components, correcting their fluxes according to the formulæ above, and then re-deriving their combined fluxes (note: pure elliptical systems are not modified). Fig. 2 shows the raw observed GLF (red dotted line), the inclination corrected GLF (green dashed line), and the fully dust-corrected GLF (blue solid line, i.e., corrected for both the empirically verified inclination-dependent attenuation plus the residual face-on attenuation determined by the model). The corresponding Schechter function fits to the GLFs, obtained using a standard step-wise maximum likelihood estimator (Efstathiou et al. 1988), are also shown on Fig. 2 and tabulated in Table 2. The changes due to the dust correction are significant. Going from the original, observed $B$-band GLF to the final, fully dust-corrected GLF, we find a 19$\sigma$ shift in the characteristic luminosity ($M^*$), and a 5$\sigma$ change in the faint-end slope (which determines the space density of dwarf galaxies). Nearby galaxies therefore produce far more photons in the 400-450 nm range ($B$-band) than previously supposed. In fact, after first removing the contribution to the GLF due to ellipticals (0.14 $h_{70}$, see Driver et al. 2005), only 58(5)5% of $B$-band photons escape from the nearby spiral galaxy population into the IGM (or 60(5)5% if one includes the ellipticals).

2.1. Extrapolating the impact of dust on the GLF to other bandpasses

The above result provides us with a single dust corrected datum for the CSED. Unfortunately we cannot repeat this measurement at other wavelengths because we lack the appropriate imaging data at this time. We can however resort to a simplification: For all possible $B/T$ values from 0 to 0.8 we derive, using the equations given above, the implied photon escape fraction integrated over $\cos(i)$.

Using the Millennium Galaxy Catalogue (MGC) data we can now explore the implications of this result on estimates of the CSED. To explore the implications of this result on estimates of the CSED, and ask whether the high value for the central attenuation is relatively consistent with previous estimates, the bulge attenuation is a surprise and has not previously been considered in detail. This is because while bulges are traditionally considered to be dust free, like elliptical galaxies, the dust in the galaxy disc attenuates bulge light, particularly from the far-side. We can parameterize the dust attenuation curves of Fig. 1 as follows:

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2.2. The photon escape fraction

We can now derive the mean photon escape fraction at any wavelength using the bulge and disc attenuation-inclination relations predicted by our calibrated dust model (see Section 2) coupled with the above \( B/T \) values. Fig. 3 displays the corresponding photon escape fractions for a variety of bandpasses averaged over all viewing angles. To understand how critically this depends on the adopted \( B/T \) values we also show on Fig. 3 the photon escape fractions that result from assuming, in each bandpass, the extreme values of \( B/T = 0 \) (pure disc, upper dotted line) and \( B/T = 0.35 \) (early/mid-type disc galaxy, lower dotted line), respectively. Evidently, the photon escape fractions do not depend critically on the assumed "canonical" values of \( B/T \) and hence our shortcut method should be considered robust (i.e., Fig. 3 is essentially a direct prediction from the MGC calibrated dust model with little dependence on \( B/T \)).

2.3. The Cosmic Energy Spectrum

The values shown in Fig. 3 can be used to derive the CSED corrected for dust attenuation. A compendium of recent GLF measurements (Driver et al. 2007; Budavari et al. 2005; Blanton et al. 2003; Kochanek et al. 2001; Bell et al. 2003; Babbedge et al. 2006; Huang et al. 2007; Takeuchi et al. 2006) based on nearby samples (all allegedly complete, corrected to redshift zero, and converted to luminosity density units to energy density units and together they span the wavelength range from the far-UV to the far-IR. Also shown on Fig. 4 is our single fully dust-corrected \( B \)-band luminosity density value (from Table 2), which lies significantly above the previous uncorrected estimates.

Using the photon escape fractions from Fig. 3 we now correct the attenuated GLF measurements to produce, for the first time, the unattenuated CSED (grey data points on Fig. 4). This constitutes the actual spectral energy output in the Universe today due to the total integrated starlight before dust attenuation. To calculate the total energy of starlight versus that which escapes into the IGM we need to integrate over these two datasets. In order to interpolate across the full far-UV, optical, and IR wavelength range we adopt a recent stellar synthesis model (PEGACE, Fioc & Rocca-Volmeragen (1997) see Baldry & Glazebrook (2003) for details of the modelling) which provides a reasonable fit to both the attenuated (orange line) and, when corrected, the unattenuated (black line) CSED. Integrating these two curves yields a total stellar energy output of \((1.6 \pm 0.2) \times 10^{35} \text{ W Mpc}^{-3}\) of which \((0.9 \pm 0.1) \times 10^{35} \text{ W Mpc}^{-3}\) escapes into the IGM. Note that these numbers take into account a 10% component of the CSED longwards of 400 nm due to ellipticals (Driver et al. 2005). For the CSED to be in equilibrium (and energy conserving) the difference between these two energy values, \((0.7 \pm 0.2) \times 10^{35} \text{ W Mpc}^{-3}\), should not exceed the total emission from dust in the far-IR, the traditional sticking point for optically thin models. Fig. 4 also shows a model of the dust emission (red line; Dale & Helou 2002) that reproduces fairly well the observed data. Integrating the far-IR curve we obtain a total radiant dust energy of \((0.6 \pm 0.1) \times 10^{35} \text{ W Mpc}^{-3}\), in excellent agreement with our prediction. This provides independent support that the high value for the central face-on opacity is correct, and implies that significant corrections to the observed flux of individual galaxies are necessary. This result also leaves little or no room for other sources of dust heating in the nearby Universe, such as active galactic nuclei, and provides the first fully reconciled estimate of the CSED.

3. DISCUSSIONS AND RAMIFICATIONS

This work has reconciled three apparently inconsistent observations, namely: the severe attenuation-inclination relation seen in the MGC data (Driver et al. 2007); the conclusion that inter-arm regions are optically thin (White et al. 2000; Holwerda et al. 2007); and the relatively high far-IR dust emission. The TP-model achieves this by incorporating distinct dust components that allow for optically thin inter-arm and outer regions coupled with an optically thick central region. This relatively simple development, and perhaps obvious given the high opacity of the Galactic centre, has a number of far-reaching ramifications. Firstly, all basic measurements of galaxy fluxes that do not correct for dust attenuation will require significant revision (i.e., 0.2–2.5 mag in \( B \)) depending on an individual galaxy’s inclination, bulge-to-total ratio and wavelength of observation. Second, many galaxies will contain heavily embedded bulges due to the centrally concentrated dust in their discs. This can easily lead to significant errors in optical estimates of their fluxes and stellar masses; this is because although stellar mass estimates do correct for optically thin dust attenuation they cannot, of course, correct for mass hidden behind an entirely optically thick screen. Finally, dust attenuation could conceivably play a part in the morphology-density relation and the proposed transformation of disc galaxies from late- to early-type as they enter the cluster environment. For example, using the corrections provided, it is easy to show that an Sab galaxy at the median inclination (600) will see its observed \( B/T \) change from 0.3 to 0.6, its color get significantly redder, and its luminosity get brighter, if all its dust was to be removed. Dust attenuation is clearly a major issue which demands our attention if we are to robustly compare galaxy samples across different environments, wavelength ranges, orientations, and epochs. The corrections given provide the starting point to this process.

Richard Tuffs is grateful for the support of a Livesey Award whilst working on this paper at UCLan.

REFERENCES


TABLE 1
Coefficients for use in Equations 1 and 2 to provide bulge and disc attenuation corrections (with < 5% error in the predicted values due to the adopted fitting function).

<table>
<thead>
<tr>
<th>Bandpass</th>
<th>$b_1$</th>
<th>$b_2$</th>
<th>$b_3$</th>
<th>$d_1$</th>
<th>$d_2$</th>
<th>$d_3$</th>
</tr>
</thead>
<tbody>
<tr>
<td>u</td>
<td>1.10</td>
<td>0.95</td>
<td>2.18</td>
<td>0.45</td>
<td>2.31</td>
<td>3.42</td>
</tr>
<tr>
<td>B</td>
<td>0.89</td>
<td>1.27</td>
<td>1.73</td>
<td>0.24</td>
<td>1.20</td>
<td>2.73</td>
</tr>
<tr>
<td>g</td>
<td>0.83</td>
<td>1.29</td>
<td>1.71</td>
<td>0.22</td>
<td>1.18</td>
<td>2.74</td>
</tr>
<tr>
<td>r</td>
<td>0.63</td>
<td>1.33</td>
<td>1.73</td>
<td>0.16</td>
<td>1.10</td>
<td>2.80</td>
</tr>
<tr>
<td>i</td>
<td>0.48</td>
<td>1.35</td>
<td>1.84</td>
<td>0.11</td>
<td>1.03</td>
<td>2.89</td>
</tr>
<tr>
<td>z</td>
<td>0.38</td>
<td>1.35</td>
<td>1.84</td>
<td>0.09</td>
<td>0.96</td>
<td>2.98</td>
</tr>
<tr>
<td>J</td>
<td>0.25</td>
<td>1.22</td>
<td>2.26</td>
<td>0.06</td>
<td>0.80</td>
<td>3.21</td>
</tr>
<tr>
<td>H</td>
<td>0.18</td>
<td>1.02</td>
<td>2.43</td>
<td>0.05</td>
<td>0.64</td>
<td>3.51</td>
</tr>
<tr>
<td>K</td>
<td>0.11</td>
<td>0.79</td>
<td>2.77</td>
<td>0.04</td>
<td>0.46</td>
<td>4.23</td>
</tr>
</tbody>
</table>

TABLE 2
Derived Schechter luminosity function parameters for the MGC with varying degrees of dust attenuation corrections.

<table>
<thead>
<tr>
<th>Sample</th>
<th>$M^* - 5 \log h_{70}$ [mag]</th>
<th>$\alpha$</th>
<th>$\phi_*$ [$10^{-3} h_{70}^3 \text{Mpc}^{-3} \text{(0.5 mag)}^{-1}$]</th>
<th>$J(0.5) [h_{70} L_\odot \text{Mpc}^{-3}]$</th>
</tr>
</thead>
<tbody>
<tr>
<td>No dust corr.</td>
<td>$-20.57 \pm 0.04$</td>
<td>$-1.14 \pm 0.03$</td>
<td>$6.7 \pm 0.3$</td>
<td>$1.9 \pm 0.2$</td>
</tr>
<tr>
<td>Inclination corr.</td>
<td>$-20.78 \pm 0.04$</td>
<td>$-1.16 \pm 0.03$</td>
<td>$7.0 \pm 0.3$</td>
<td>$2.4 \pm 0.2$</td>
</tr>
<tr>
<td>Incl.+face-on corr.</td>
<td>$-21.32 \pm 0.05$</td>
<td>$-1.32 \pm 0.02$</td>
<td>$4.8 \pm 0.3$</td>
<td>$3.1 \pm 0.5$</td>
</tr>
</tbody>
</table>
Fig. 1.— The dust attenuation–inclination relations for galaxy discs (right) and bulges (left) shown for a variety of bands (as indicated on the right hand sides) as predicted by the TP-model calibrated on B-band disc data (Driver et al. 2007). The non-zero attenuation at $1 - \cos(i) = 0$ is the residual face-on attenuation predicted by the model.
Fig. 2.—Main panel: the $B$-band galaxy luminosity function; ignoring all consideration of dust (dotted line), after consideration of the empirically derived attenuation–inclination relation only (dashed line), and after a full treatment of dust attenuation (including the face-on model correction; solid line). Side panel: the projected 3σ error contours for two of the three fitting parameters, $\alpha$ (the faint-end slope) and $M^*$ (the characteristic luminosity).
Fig. 3.— The global photon escape fraction averaged over all inclinations versus wavelength. The dotted lines show estimated error boundaries (see text).
Fig. 4.— The cosmic energy output covering the region dominated by starlight (left peak) and by dust emission (right peak). The orange line shows the observed (uncorrected) cosmic energy output from the total nearby galaxy population, while the black line shows the same after correction for the fraction of photons attenuated by dust. The discrepancy in the integrals over these two curves yields the total energy of starlight lost to heating of the dust grains. If starlight is the only source of dust heating then this energy loss must equal the total radiant energy of the dust emission (i.e., the two shaded regions must and do contain equal energy).